3. Bargaining experiments

- How do we implement bargaining in the lab?
- What are key results from these bargaining experiments?
- Do we see deviations from what is predicted by standard economics?

A bargaining game

- Two subjects have to divide a fixed bargaining cake c = 1 according to the following rules:
- Move structure
- Player 1 proposes a division (1-x, x), 0≤x≤1.
- x is a multiple of ε >0, the smallest money unit.
- Player 2 observes the proposal upon which she accepts or rejects.
- In case of acceptance the agreed upon division is implemented in period 1; in case of rejection she makes a counterproposal (1-y,y) at the beginning of period 2. y is a multiple of ε.
- Player 1 observes the counterproposal and accepts or rejects. This ends the game.

Payoffs

- If no agreement is reached both receive zero.
- In case of an agreement in period 1
 - o player 1 receives U = (1-x)
 - o player 2 gets V = x.
- In case of an agreement in period 2
 - o player 1 receives $U = \delta(1-y)$
 - o player 2 gets $V = \delta y$ with $0 < \delta < 1$.

Behavioral and informational assumptions

- A0: Both players know the rules of the game.
- A1: Both players are rational (i.e. forward looking) and only interested in their material payoffs.
- A2: Both players knows that the other player is rational and only motivated by money.
- A3: Player 1 knows that player 2 knows that player 1 is rational and only interested in money.

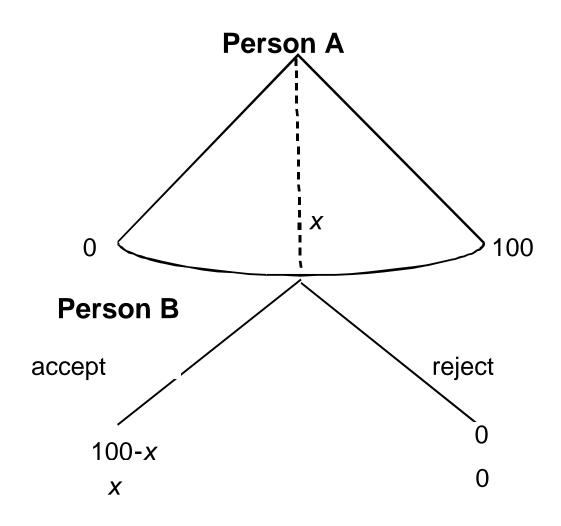
Predictions

- In period 2 player 1 accepts any multiple of ε including ε itself.
- Player 2 therefore proposes $(\epsilon, 1-\epsilon)$ which yields payoffs of U = $\delta\epsilon$ and V = $\delta(1-\epsilon)$.
- In period 1, player 2 will accept any $x > V = \delta(1-\epsilon)$. Thus, player 1 proposes an x which is at most ϵ above $V = \delta(1-\epsilon)$.

Example

- $\delta = .25$, c = 100, $\epsilon = 1$.
 - o Player 1 offers 25 at the first stage.
 - o Player 2 accepts each offer larger than 24 at the first stage
 - o The counteroffer on the second stage is at most 24.
 - o Player 1 accepts any positive offer at the second stage

The ultimatum game (Güth, Schmittberger and Schwarze, JEBO 1982)



Güth et al. results (JEBO 1982)

- Ultimatum game: t = 1 and c = DM 4 or DM 10, inexperienced subjects.
- All offers above DM 1
- Modal x = 50 percent of pie (7 of 21 cases)
- Mean x = 37 percent of pie
- A week later (experienced subjects)
- All except one offer above DM 1
- 2/21 offer an equal split
- Mean offer 32 percent of pie
- 5/21 of the offers are rejected
- Systematic deviation from standard prediction

No! Standard theory does predict well... Binmore, Shaked, Sutton (AER 1985)

"The work of Güth et al. seems to preclude a predictive role for game theory insofar as bargaining behaviour is concerned. Our purpose in this note is to report on an experiment that shows that this conclusion is unwarranted" (p. 1178)

- t = 2, $\delta = 0.25$, c = 100 pence, $\epsilon = 1$.
- Prediction for period 2 (if reached): y = 24 pence, which is accepted.
- Prediction for period 1: x = 25 pence which is accepted.
- The game was played twice. In the second game the firstgame-responders played the role of proposers.
- Actually there were no responders in the second game but the proposers did not know this.
- How does the experience of being a responder affect proposal behavior?

Results

- Modal opening offer in the first game 50 pence and 15 percent of the offers are rejected.
- Modal opening offer in the second game 25 pence!!
 Standard theory seems to be saved.

But...

- 1. Problem: Compared to the simple ultimatum game equilibrium play is now less unfair, I.e., closer to equal split of 50. Do subjects play the equilibrium more frequently for this reason?
- 2. Problem: Role reversal makes game more fair.

Reply of Güth und Tietz (1988)

"Our hypothesis is that the consistency of experimental observations and game theoretic predictions observed by Binmore et al. is solely due to the moderate relation of equilibrium payoffs which makes the game theoretic solution socially more acceptable."

- Two periods (t = 2)
- δ =.1 => predicted (90%, 10%) (large cost of delay)
- δ =.9 => predicted (10%, 90%) (small cost of delay)
- c = 5 DM, 15 DM, 35 DM.

Results

- Games with $\delta = 0.1$: In the first trial the mean x was 0.24, in the second trial (with reversed roles and different opponents) the mean x was 0.33.
- Games with $\delta = 0.9$: In the first trial the mean x was 0.3, in the second trial the mean x was 0.41.
- Conclusion: Both the first and the second trial results are far from the predicted equilibrium. Twice experienced players do not move towards the predicted equilibrium but in the direction of the equal split.
- Very different from game theoretic prediction.

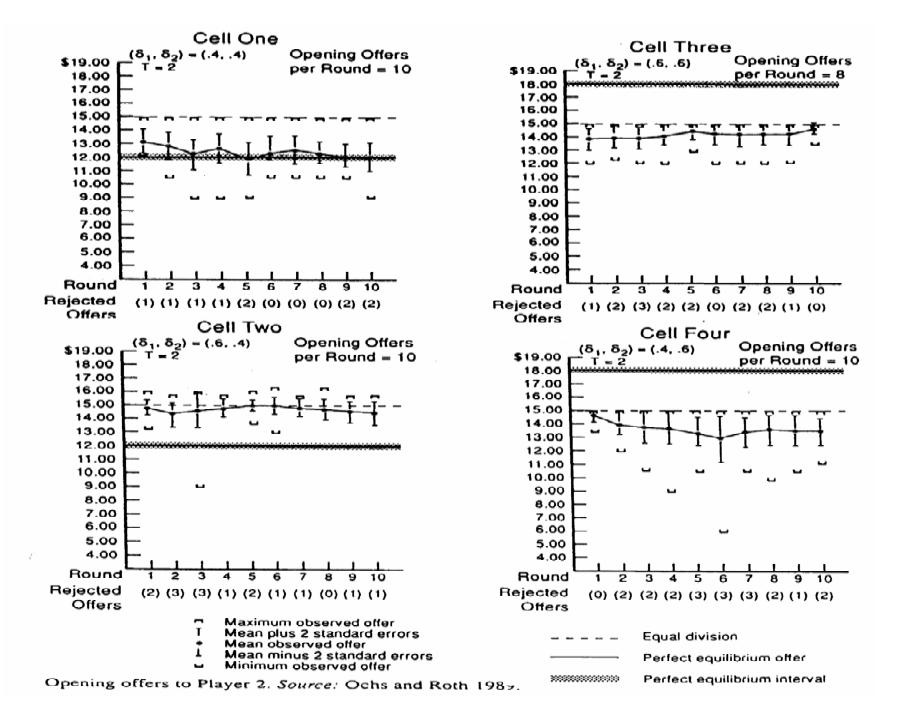
"Our main result is that contrary to Binmore, Shaked and Sutton The game theoretic solution has nearly no predictive power."

Ochs and Roth (1989)

- They test some comparative statics
- We only concentrate on their two-period games, although they also look at three-period games.
- Each set of parameters (cell) is played for 10 rounds with different opponents.
- No role reversals
- Round that is decisive for payments is randomly selected at the end.
- c = \$ 30. Discount factors are varied independently, one for player 1, one for player 2 (δ =0.4 or 0.6)
- Notice: δ^1 is irrelevant for the game theoretic prediction. Only player 2's cost of delay matters.

Results (opening offers)

- General: perfect equilibrium poor point predictor
- **Cell 1:** $\delta^1 = 0.4$, $\delta^2 = 0.4$, prediction: $x \approx 0.4 * 30
 - o **Result 1:** x converges to the game theoretic prediction (see Figure 4.2.a)
- **Cell 2:** $\delta^1 = 0.6$, $\delta^2 = 0.4$, prediction as in cell 1 but psychologically player 1 is now "stronger" because he looses less in case that he receives something positive in t = 2.
 - o **Result 2:** In all periods the hypothesis that x = 0.5 cannot be rejected
- Cell 3: $\delta^1 = 0.6$, $\delta^2 = 0.6$, prediction: $x \approx 0.6 * 30 (gives player 2 more than the equal split).
 - o **Results 3:** Except for the last period the hypothesis that x = 0.5 can be rejected (see Fig. 4.2b)
- **Cell 4:** $\delta^1 = 0.4$, $\delta^2 = 0.6$, prediction as in cell 3 but psychologically player 1 is now "weaker" relative to cell 3 because he looses more in case of rejection.
 - o **Result 4:** x is in general even lower than in result 3 although the difference is probably not significant (see Fig. 4.2b).



Disadvantageous counter offers

- In cases where player 2 made a counter offer, he often asked for less money than player 1 had offered.
- Similar to costly rejections in the basic ultimatum game

| study | Number of obs. | First offer rejections in % | Disadvantegous counter offers in % of rejections |
|--------------------------|----------------|-----------------------------------|--|
| Güth et.al. 1982 | 42 | 19 | 88 |
| Binmore et. al. | 81 | 15 | 75 |
| Neelin et. al. (1988) | 165 | 14 | 65 |
| Ochs/Roth (1989) | 760 | 16 | 81 |

Possible interpretations

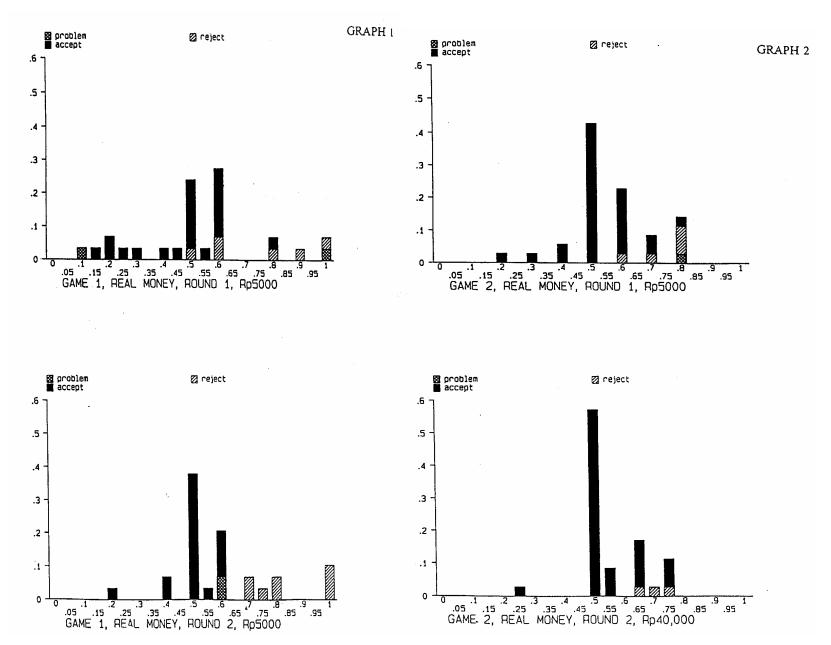
People are irrational, or do not understand game.

Or

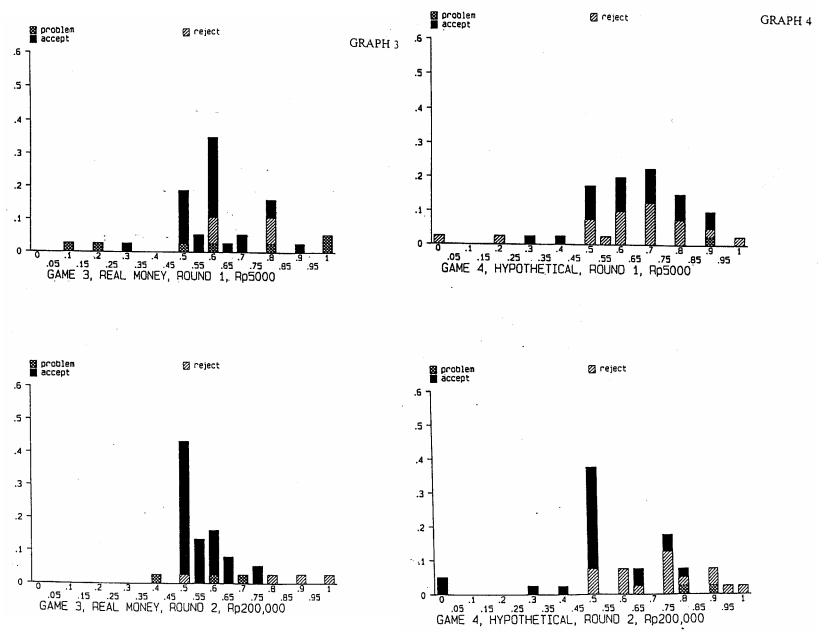
- Preferences place weight on relative income.
- Incomplete information about the opponent's type
 - o Large number of rejections indicates imperfect info on the part of subjects making offers.
- We come back to these interpretations when we talk about fairness and reciprocity

Do higher stakes lead to more equilibrium play?

- Hoffman, McCabe, Smith (1999): UG with 10\$ and 100\$
 - o Offers are not dependent on the size of the cake.
 - o Second movers reject offers of up to 30\$
- Cameron (1995): UG in Indonesia 2.5\$, 20\$, 100\$ (GDP/Person = 670\$)
 - o The higher the stakes the more the offers apporach 50/50.
 - o Responders more willing to accept a given percentage offer at higher stakes.
 - o With hypothetical payments we see a different result: less generous offers and more rejections.



Source: Cameron (1995)



Source: Cameron (1995)

Ultimatum game results (1)

Percentage of offers below 0.2 and between 0.4 and 0.5 in the Ultimatum Game

| Study (Payment method) | Number of observati ons | Stake Size (Country) | Percent age of offers with s < 0.2 | Percentage of offers with $0.4 \le s \le 0.5$ |
|---------------------------|----------------------------------|-------------------------|------------------------------------|---|
| Cameron [1999] | | Rp 40.000 | | _ |
| (all Ss paid) | 35 | (Indonesia) | 0 | 66 |
| Cameron [1999] | | Rp 200.000 | | |
| (all Ss paid) | 37 | (Indonesia) | 5 | 57 |
| FHSS [1994] | | \$5 and \$10 | | |
| (all Ss paid) | 67 | (USA) | 0 | 82 |
| Güth et al. [1982] | | DM 4 - 10 | | |
| (all Ss paid) | 79 | (Germany) | 8 | 61 |
| Hoffman, McCabe and | | \$10 | | |
| Smith [1996] | 24 | (USA) | 0 | 83 |
| (all Ss paid) | | | | |

Ultimatum game results (2)

| Hoffman, McCabe and | | \$ 100 | | |
|-------------------------|------------------|-------------------------|---------------|-----------------|
| Smith [1996] | 27 | (USA) | 4 | 74 |
| (all Ss paid) | | | | |
| Kahneman, Knetsch | | \$10 | | |
| and Thaler [1986) | 115 | (USA) | ? | 75 ^a |
| (20 % of Ss paid) | | | | |
| Roth et al. [1991] | | approx. \$10 | | |
| (random payment | 116 ^b | (USA, Slovenia, Israel, | 3 | 70 |
| method) | | Japan) | | |
| Slonim & Roth [1997] | | SK 60 | | |
| (random payment | $240^{\rm c}$ | (Slovakia) | $0.4^{\rm d}$ | 75 |
| method) | | | | |
| Slonim & Roth [1997] | | SK 1500 | | |
| (random payment | $250^{\rm c}$ | (Slovakia) | $8^{\rm d}$ | 69 |
| method) | | | | |
| Aggregate result of all | 875 | • | 3.8 | 71 |
| studies ^e | | | | |

a: percentage of equal splits, b: only observations of the final period, c: observations of all 10 periods, d: percentage of offers below 0.25, e: without Kahneman, Knetsch and Thaler [1986].

Does altruism explain the high first mover offers?

• Forsythe et al. (GEB 1994) compare simple ultimatum games with dictator games. In the latter, the proposer proposes a division (1-x, x) of the bargaining cake, which is then implemented.

Result 1:

- o In the dictator game the distribution of x shifts significantly towards x = 0 relative to the ultimatum game **if real money is at stake** (modal offer is x = 0).
- o If only hypothetical questions are asked no such shift can be observed.

Result 2:

- o Even with real pay there is a concentration of offers around the equal split (see Fig. 4.4)
- Conclusion: Some of the subjects seem to be motivated by altruism but the higher concentration of offers around the equal split in the ultimatum game suggests that behavior cannot be fully attributed to altruism.

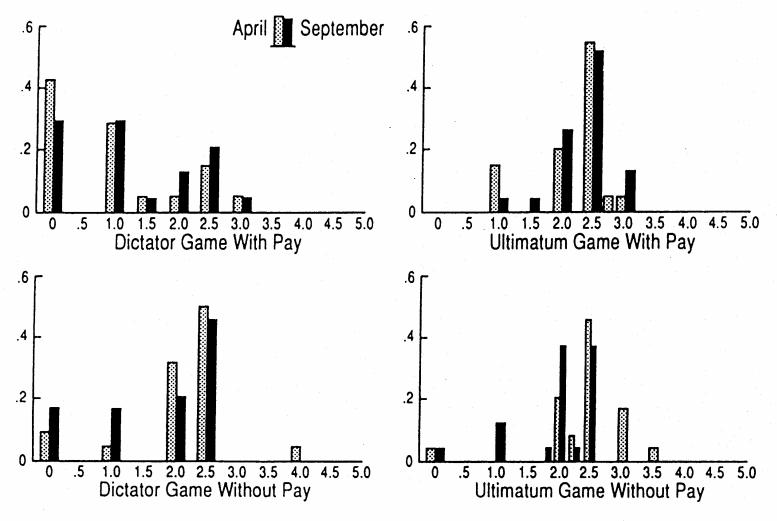


Figure 4.4. Offers in dictator and ultimatum games. Source: Forsythe, Horowitz, Savin, and Sefton 1994.

Single blind vs. double blind

(Hoffman, McCabe and Smith (GEB 1995)

- Conjecture that experimenters exert a kind of social control merely by being able to observe subjects' actions.
- They report that if it is ensured that subjects know that the experimenter cannot observe individual decisions approximately 70 percent of the subjects in the dictator game give nothing and almost no offers above 0.3 can be observed.
- Has probably no relevance for the ultimatum game
- And: does such an environment itself lead to some sort of experimenter effect?

Punishment versus Anonymity

Bolton and Zwick (GEB 1995)

- Comparison of one-period ultimatum games with and without subject-experimenter anonymity (but always subject-subject anonymity).
- Comparison of one-period ultimatum game with the impunity game which has the same move structure as the ultimatum game but the same incentive structure as the dictator game (for first mover). In the impunity game only subject-subject anonymity prevailed.
- Impunity Game: Player 1 proposes a division (1-x, x)
- Player 2 accepts or rejects. In case of rejection player 2 gets nothing while player 1 still gets 1-x.
- Punishment option is removed.

Impunity game (2)

- Punishment hypothesis: First movers in the ultimatum game choose "high" offers because of the fear of rejection.
 - o Prediction: Lower offers in the impunity game compared to the ultimatum game.
- Anonymity hypothesis: First movers in the ultimatum game do not want to be judged by the experimenter to be greedy and selfish.
 - o Prediction: With subject-experimenter anonymity there are significantly lower offers than without subject-experimenter anonymity in the ultimatum game.

Impunity game (3)

- Results: Punishment confirmed Anonymity rejected
 - o In the ultimatum game offers in the first five periods are slightly lower under anonymity, in the second five periods they are slightly higher. In general offers are similar to other non anonymous ultimatum games.
 - o In the impunity game 100 percent of all offers in the last five rounds are equilibrium offers.

Do subjects accept unfair offers? The best shot game

- Best Shot Game (Harrison, Hirshleifer, JPE 1989)
 - o player 1 chooses contribution q₁ for a public good
 - o player 2 chooses contribution q₂ for a public good
 - o Total contribution to public good is $max(q_1,q_2)$
 - o Costs are linear in contribution
 - o Revenue is concave in contribution

Payoffs in the Best Shot Game

| Number of units to PG | Revenue | Marginal revenue | Cost | Marginal cost |
|-----------------------|---------|------------------|------|------------------|
| 0 | О | - | 0 | |
| 1 | 1.00 | 1.00 | 0.82 | 0.82 |
| 2 | 1.95 | 0.95 | 1.64 | 0.82 |
| 3 | 2.85 | 0.90 | 2.46 | 0.82 |
| 4 | 3.70 | 0.85 | 3.28 | 0.82 |
| 5 | 4.50 | 0.80 | 4.10 | 0.82 |
| 21 | ••• | | | ••• |

Predictions

- If q1=0, player 2 chooses q2 =4. Payoffs (3.7, 0.42)
- If q1=1, player 2 chooses q2 =0. Payoffs (.18, 1)
- If q1=2, player 2 chooses q2 =0. Payoffs (.31, 1.95)
- If q1=3, player 2 chooses q2 =0. Payoffs (.39, 2.85)
- If q1=4, player 2 chooses q2 =0. Payoffs (.42, 3.7)
- Player 1 chooses q1=0
 - (If player 2 answers with contributing 0 as well, both would earn zero).

Result

- Harrison, Hirshleifer play the game with private information about payoffs.
 - o Convergence to subgame perfect Nash Equilibrium
- Prasnikar Roth (QJE 1992)
 - o Best Shot game with public information
 - o They also find convergence to the SPNE
 - o This is surprising since it implies unequal payoffs
 - o Intuition: Intentions (see discussion about fairness models)

Table 4.3. Mean Offers by Periods

| Periods | Ultimatum Game (mean x2)* | Best Shot, full information game (mean q_1) ^b | Best Shot, partial information game (mean q_1) ^c |
|--------------|---------------------------|---|--|
| - | 4.188 (0.329) | 1.625 (0.610) | 2.700 (0.617) |
| 2 | 3.825 (0.530) | 0.875 (0.482) | 2.900 (0.994) |
| 3 | 3.725 (0.480) | 1.125 (0.597) | 3.000 (0.848) |
| 4 | 3.581 (0.438) | 0.125 (0.116) | 2.100 (0.793) |
| 8 | 4.231 (0.276) | 0.125 (0.116) | 2.700 (0.906) |
| 9 | 4.418 (0.234) | 0.125 (0.116) | 1.250 (0.605) |
| 7 | 4.294 (0.166) | 0.000) | 1.100 (0.537) |
| ∞ | 4.531 (0.155) | 0.000) | 0.800 (0.505) |
| 6 | 4.325 (0.232) | 0.000) | 0.950 (0.567) |
| 10 | 4.531 (0.155) | 0.000) | 0.700 (0.401) |
| | | | |

Source: Prasnikar and Roth 1992.

Note: Values in parentheses are standard errors.

^{*} Perfect equilibrium prediction: $x_2 = 0$.

^b Perfect equilibrium prediction: $q_1 = 0$.
^c Perfect equilibrium prediction: $q_1 = 0$.

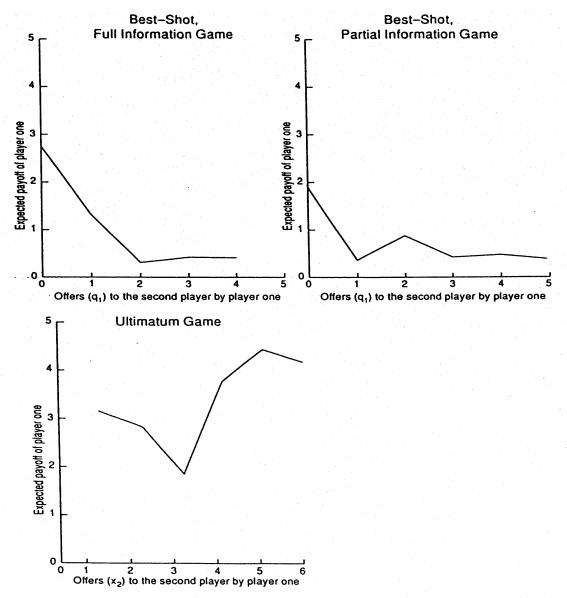


Figure 4.6. Expected payoff of each offer. Source: Prasnikar and Roth 1992.

Multi-Proposer-Ultimatum game

(Prasnikar and Roth QJE 1992)

- 9 proposers simultaneously make an offer between 0 and 10 to one responder.
- Responder decides to accept or reject the best offer x_b.
- In case of rejection all ten players get zero. In case of acceptance responder receives x_b.
- The proposer whose proposal has been accepted receives $10 x_h$. All others receive zero.
- Prediction (based on smallest offer unit = 0.05)
 - o Responder accepts any $x_b > 0$.
 - o Any proposal strictly below 9.95 cannot be an equilibrium because by bidding up 5 cents, a proposer can increase his payoff.
 - o 9.95 and 10 are equilibrium proposals (many equilibria, e.g., *all* offer combinations if at least two bid 10)

Table 4.4. The Highest and Second-Highest Prices in Each of the Markets and the Basic Descriptive Statistics

| Mode¹ Median № | 8.05 9 | 6.50 9 | 8.05 9 | 8.00 | 6 00.6 | 6 00.6 | 6 06.6 | 6 00.6 0 | 6 06.6 | 8.50 9 | 6 00.6 0 | 6 56.6 5 | 7.00 | 6 00.5 00 | 5.00 | 7.00 | 5.00 | 5.00 9 | 000 | 9.6 | 5.00 | 2.00 |
|---|----------|----------|----------|---|--------------|--------------|----------------------|------------------|---------------|------------------|-------------------|---------------------|---------------|-------------------|---------------|------------------|---------------|------------------|---------------|-----------|--------|------|
| 6.48 8.05 (2.52) 6.76 5.00 (1.84) 6.57 5.00 (3.07) 6.69 x (3.26) 7.24 x (3.24) 8.08 x (2.31) 7.32 x | | | • | | | | 3 | 7.31 9.00 (2.67) | 9.14 × (1.61) | 7.93 x (2.76) | 7.21 10.00 (3.69) | 7.81 9.95 (3.32) | 6.43 × (3.28) | 5.23 5.00 3.07 | 5.76 × (3.74) | 5.72 x (4.31) | 4.73 x (4.11) | 5.98 x (3.72) | 6.22 × (4.23) | 6.47 5.00 | (3.32) | |
| | | | | 3.00 (2) 00.8 3.50 (3.50 | 9.65 (1) 7.2 | 9.95 (1) 8.0 | 9.95 (2) 7.32 (4.00) | 9.90 (1) 7. (2.) | 9.95 (2) 9. | 9.95 (2) 7. | 9.95 (1) 7. | 9.95 (4) 7. | 9.95 (2) 6 | 9.60 (1) 5 | 9.85 (1) 58.6 | 9.85 (1) 58.9 (4 | 9.95 (1) 4 | 9.95 (1) E) | 9.95(1) 6 | 9.95(1) | | |
| (1) (0) | 0.30 (1) | (1) 06:6 | 9.60 (1) | 9.90 (1) | 9.85 (1) | 10.00 (1) | 10.00 (2) | 9.95 (1) | 10.00 (2) | 10.00 (2) | 10.00 (3) | 10.00 (1) | 10.00 (1) | 10.00 (1) | 10.00 (2) | 10.00 (2) | (1) 00:01 | (1) 00:01 | 10.00 (2) | 10.00 (2) | | |
| ∢ | | æ | ∢ | æ | ∢ | ш | ∢ | m | ∢ | B | ∢ | æ | ∢ | മ | ∢ | Ω | ∢ | В | ∢ | B | | |
| | | | 7 | | 3 | | 4 | | S | | 9 | | 7 | | ∞ | | 6 | | 10 | | | |

Source: Prasnikar and Roth 1992.

^{*} The number in parentheses is the number of buyers who bid that price.

Numbers in parentheses are standard deviations.
An "x" in the mode column means that there were fewer than three observations at any one price.

Nrepresents the number of buyers in each of the markets.

Result

- High offers from the very beginning (mean offer 8.9\$)
 - o Competition plays an important role right from the beginning
- Quick convergence to the equilibrium
- How can this result be reconciled with the fact that in bilateral ultimatum bargaining subjects refuse unfair payoff allocations? (see fairness models)

Does culture matter?

(Roth et al. 1991)

- Single-Proposer and Multi-Proposer Ultimatum Games in Tokyo, Ljubljana, Jerusalem and Pittsburgh (Roth et al. AER 1991).
- Experimenter has to control for
 - o Experimenter effects (use same experimenters)
 - o Language effects (use double translation)
 - o Currency effects due to prominent numbers (use experimental currency (total pie here 1000))
 - o Stakes effects (monetary earnings should have the same real purchasing power)
 - o Subject pool effects (use subjects with identical observable characteristics, socio-economic status questionnaire)

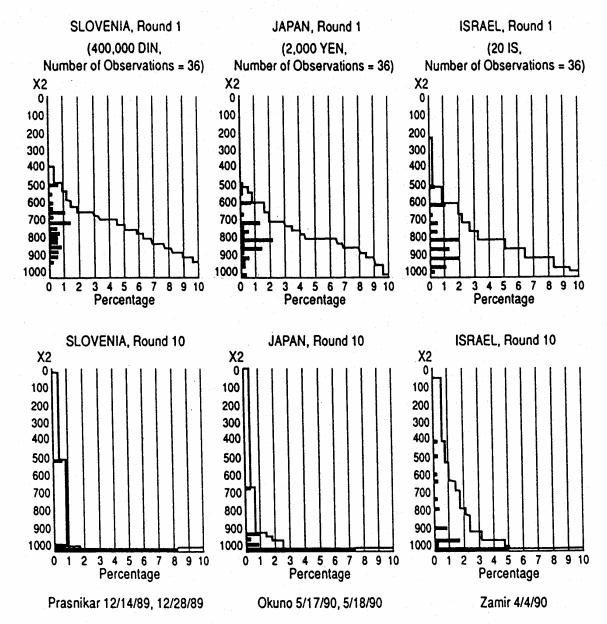


Figure 4.7a. Distribution of market offers in Slovenia, Japan, and Israel. Source: Roth, Prasnikar, Okuno-Fujiwara, and Zamir 1991.

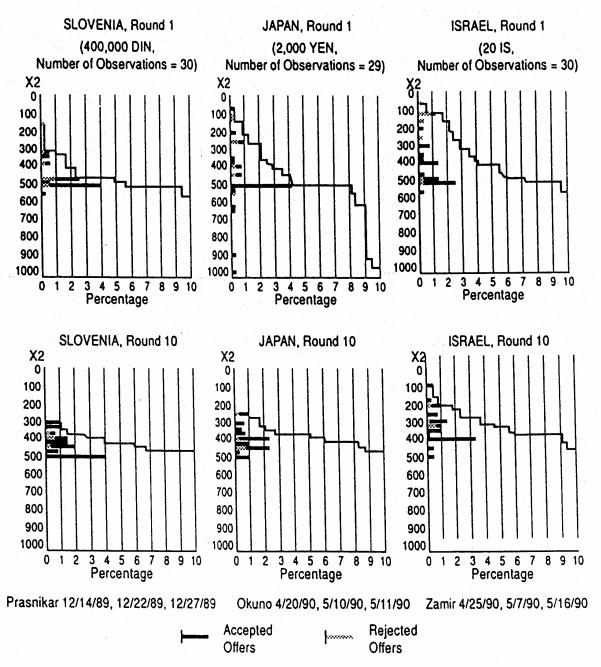


Figure 4.7b. Distribution of bargaining offers in Slovenia, Japan, and Israel. Source: Roth, Prasnikar. Okuno-Fujiwara, and Zamir 1991.

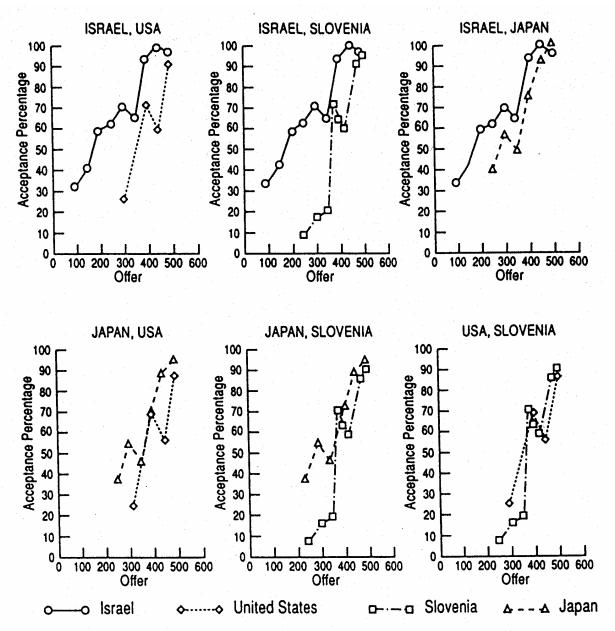


Figure 4.7c. Pairwise comparisons of acceptance rates in bargaining. Source: Roth, Prasnikar, Okuno-Fujiwara, and Zamir 1991.

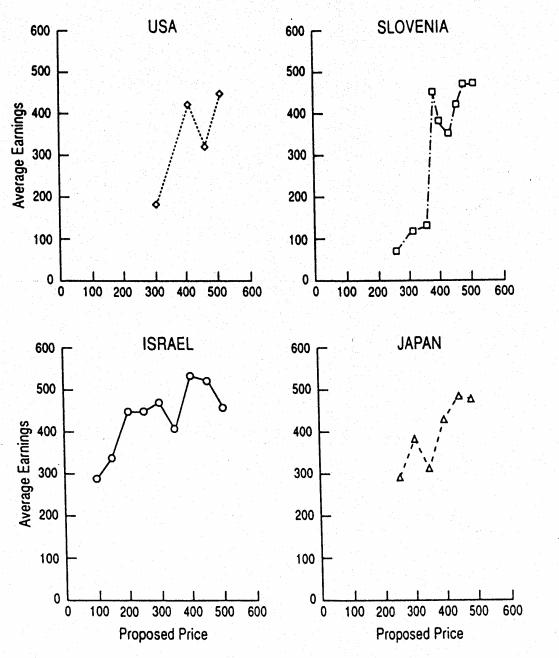


Figure 4.7d. Buyers' earnings in bargaining, by Proposed Price. Source: Roth, Prasnikar, Okuno-Fujiwara, and Zamir 1991.

Results

- No big differences in the proposer competition
- UG: in all cultures clear deviations from the subgame perfect equilibrium
 - o In period 1 there are differences in market outcomes across countries. But in all four countries markets converge to the SPE.
 - o In period 1 the modal offer in the ultimatum game is 500 units of experimental currency in all four countries.
 - o In period 10 in each country offers are far from equilibrium. But there are inter-country differences. Modal offer in US and Slovenia still 500. In Japan modal offer is 400 and 450 while in Israel it is 400.
 - o For any given price offer between 0 and 600 Israel has the highest acceptance rates. Japan has higher acceptance rates than the US and Slovenia. This possibly explains that Israel has the lowest and Japan the second lowest offers.

UG in "primitive societies" (Henrich, Boyd, Bowles, Camerer, Fehr, Gintis, McElreath AER 2002)

| Group | Country | Mean offer | Modes (% of sample) | Rejection rate | Rejections of 20% pot |
|--------------------|-----------|---------------|---------------------|----------------|-----------------------|
| Machiguenga | Peru | 0.26 | 0.15/0.25 (72%) | 1/21 | 1/10 |
| Hadza (Small Camp) | Tanzania | 0.27 | 0.20 (38%) | 8/29 | 5/16 |
| Tsimané | Bolivia | 0.37 | 0.5/0.3/0.25 | 0/70 | 0/5 |
| Quichua | Ecuador | 0.27 | 0.25 (47%) | 2/13 | 1/2 |
| Hadza (all Camps) | Tanzania | 0.33 | 0.20/0.50 (47%) | 13/55 | 9/21 |
| Torguud | Mongolia | 0.35 | 0.25 (30%) | 1/20 | 0/1 |
| Khazax | Mongolia | 0.36 | 0.25 | | |
| Mapuche | Chile | 0.34 | 0.50/0.33 (46%) | 2/30 | 2/10 |
| Au | PNG | 0.43 | 0.3 (33%) | 8/30 | 1/1 |
| Gnau | PNG | 0.38 | 0.4 (32%) | 10/25 | 3/6 |
| Hadza (Big Camp) | Tanzania | 0.40 | 0.50 (28%) | 5/26 | 4/5 |
| Sangu (farmers) | Tanzania | 0.41 | 0.50 (35%) | 5/20 | 1/1 |
| Unresettled | Zimbabwe | 0.41 | 0.50 (56%) | 3/31 | 2/5 |
| Achuar | Ecuador | 0.42 | 0.50 (36%) | 0/16 | 0/1 |
| Sangu (herders) | Tanzania | 0.42 | 0.50 (40%) | 1/20 | 1/1 |
| Orma | Kenya | 0.44 | 0.50 (54%) | 2/56 | 0/0 |
| Resettled | Zimbabwe | 0.45 | 0.50 (70%) | 12/86 | 4/7 |
| Ache | Paraguay | 0.51 | 0.50/0.40 (75%) | 0/5 | 0/8 |
| Lamelara | Indonesia | 0.58 | 0.50 (63%) | 0/2 | 0.37 |

Neural Basis of Decisions in UG

Sanfey et al. (2003)

- People reject offers in the UG even though this is not in their material self-interest.
- The types of offers rejected are "unfair" offers.
- What type of decision-making is involved?
 - o Mainly cognitive, i.e., cool and collected attempt to maximize utility function including fairness concerns?
 - o Or do emotions play a role?
 - o Is there an internal conflict between cognitive and emotional motivations?
- Looking within the brain is one potential means of answering these questions.

Brain Imaging

- fMRI can be used to detect blood flow in different regions of the brain.
 - o Blood flow is a very crude measure of how "active" or important a brain region is in a given situation.
- There is accumulating evidence on the role of different brain structures.
 - o Brain lesion studies: observe how behavior changes when a specific part of brain is damaged.
 - o fMRI: look across studies to see whether region consistently active in presence of certain stimuli.
- Caveat: a lot more evidence will need to be gathered to be very confident about brain functions.

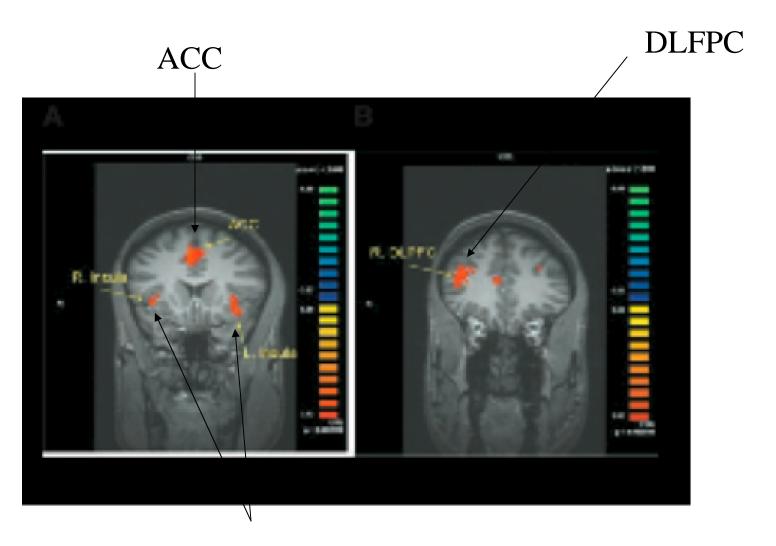
Sanfey et al. (2003)

- 19 participants
- Each subject introduced to 10 people, told they would be playing game with these individuals.
- Subjects put in scanner, play the role of the Responder in the UG.
- Main treatment: 10 rounds with a human partner (different each time)
- Two control treatments:
 - o 10 rounds where can accept/reject offer from a computer "partner".
 - o 10 rounds where received money for a button press.
- 30 games in all, treatments in random order.

Results

- Behavior of subjects similar to standard UG's, i.e., reject unfair offers.
- Three brain regions more active in unfair versus fair human offers:
 - o Bilateral anterior insula.
 - o Dorsolateral prefrontal cortex (DLPFC).
 - o Anterior cingulate cortex (ACC).
- These are also more active than in either control treatment.
 - o Suggests not driven solely by monetary outcomes, but are reacting to another human's unfair action.

Results



r. and l. Insula

Interpretation

Insula

- Insula activation associated with stressful emotional states
 - o Pain, distress, disgust, anger.
- If activation reflects anger at unfairness of offer, might expect strength of activation to predict rejection.
- This is in fact the case, at the individual level.

Interpretation

DLFPC

- Implicated in cognitive processes such as goal maintenance and executive control (suppression of emotional impulses).
- Reflects cognitive motivation to accept unfair offers and maximize money?
- If so, would expect strength of DLFPC activation relative to Insula activation to predict acceptance.
- In fact, subjects with stronger DLFPC relative to insula are more likey to accept.

Interpretation

ACC

- Implicated in detection of cognitive conflict.
- Activation could reflect struggle between emotional impulses and cognitive goals.